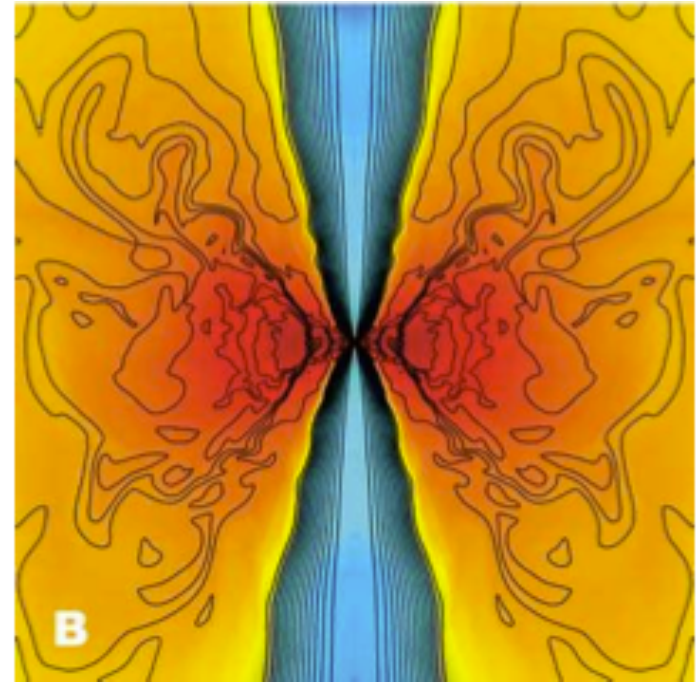


Probing synchrotron self-compton turnover of blazars with VLBI+ALMA

S. Koyama, M. Kino, H. Nagai, et al.

Introduction

- Magnetically driven jets
 - How much is the actual value of the strength of the magnetic field at the base of the jet?



McKinney+06

Introduction

- Spectral indices of blazars at cm wavelength are usually flat because we observe sum of multiple components
- Many blazars show optically thin spectral indices with ALMA (≥ 86 GHz) (Nagai+, ALMA OT)
- To estimate the value of magnetic field strength using synchrotron self-absorption turnover, we need to know the spectrum turnover of the optically thick region

$$B_{ssa} \propto \theta^4 \nu_m^5 S_m^{-2}$$

How to estimate B_{ssa}

using $B_{ssa} \propto \theta^4 \nu_m^5 S_m^{-2}$?

- We assume that the 86 GHz core size is the size of optically thick region
 - It is important to determine the accurate core size at 86 GHz by obtaining long baselines in both east-west and north-south direction **including ALMA baselines**
- To estimate the SSA turnover frequency and flux, we need to decompose the ALMA flux into optically thin region and optically thick region
 - We estimate the flux of optically thick region with VLBI at <86 GHz by scaling the factor of the cross section ratio
 - We derive the spectral index of the optically thin region using high sensitivity VLBI imaging, and extrapolate the index to ALMA region
 - 15-43 GHz: VLBI data (MOJAVE, KaVA, BU, Radio Astron etc.)
 - **at 86 GHz: GMVA+KVN+phased-ALMA**
 - at 230 GHz: EHT (if possible)

Why GMVA+phased-ALMA?

high baseline sensitivity (7σ)

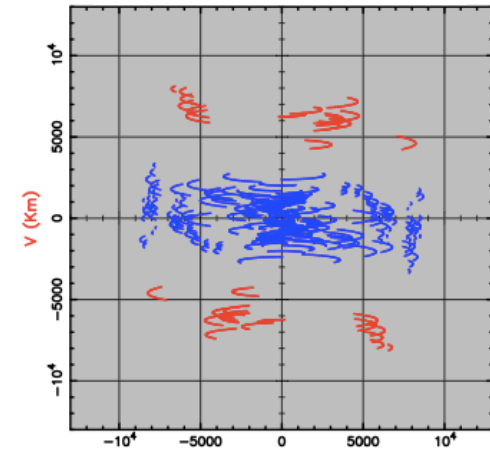
$$\Delta B = 14.5 mJy \left(\frac{SEFD_{ALMA}}{52 Jy} \right)^{1/2} \left(\frac{SEFD_{PV}}{653 Jy} \right)^{1/2} \left(\frac{\Delta\nu}{512 MHz} \right)^{-1/2} \left(\frac{\tau_{ff}}{10 \text{ sec}} \right)^{-1/2}$$

$$\Delta B = 115 mJy \left(\frac{SEFD_{VLBA}}{3300 Jy} \right)^{1/2} \left(\frac{SEFD_{PV}}{653 Jy} \right)^{1/2} \left(\frac{\Delta\nu}{512 MHz} \right)^{-1/2} \left(\frac{\tau_{ff}}{10 \text{ sec}} \right)^{-1/2}$$

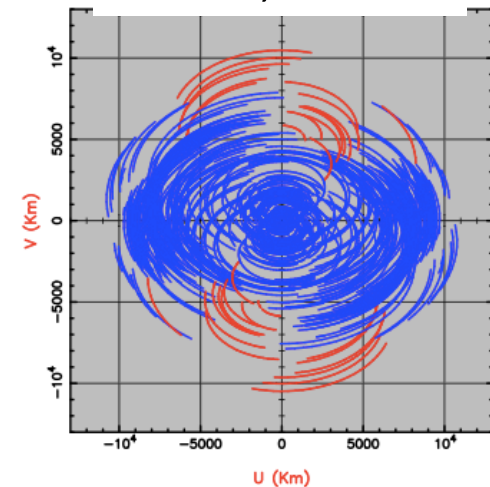
- Baseline sensitivity of ALMA baselines are
~several times higher than VLBA baselines
→ High imaging sensitivity to detect jet emission
- ALMA baselines fill the uv-coverage toward
north-south direction
→ Determination of core size in all direction

uv-coverage

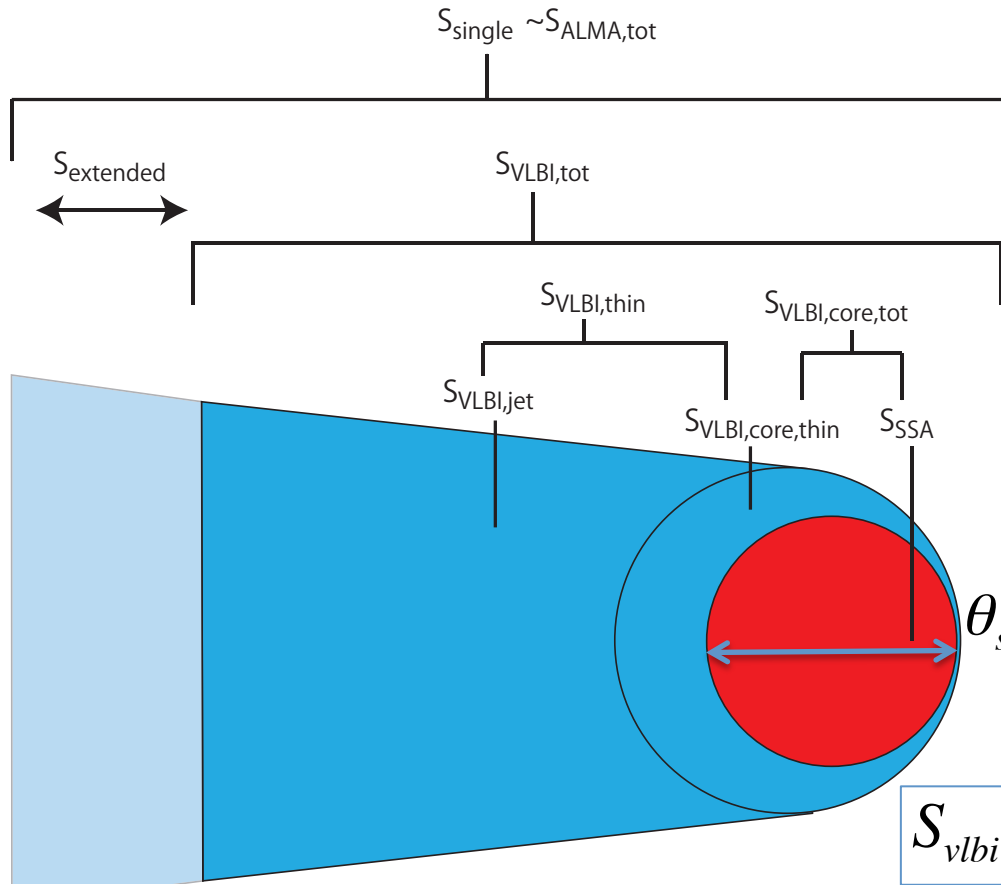
3C 279, $\delta \sim 5^\circ$



3C 345, $\delta \sim 38^\circ$



How to estimate S_{SSA} ?



VLBI at ≤ 86 GHz

$$S_{SSA,86G} \sim S_{vlbi,core,tot,86G}$$

$$S_{SSA,15G} \sim S_{vlbi,core,tot,15G} \times \frac{\theta_{vlbi,core,86G}^2}{\theta_{vlbi,core,15G}^2}$$

$$S_{vlbi,thin} = S_{vlbi,tot} - S_{SSA}$$

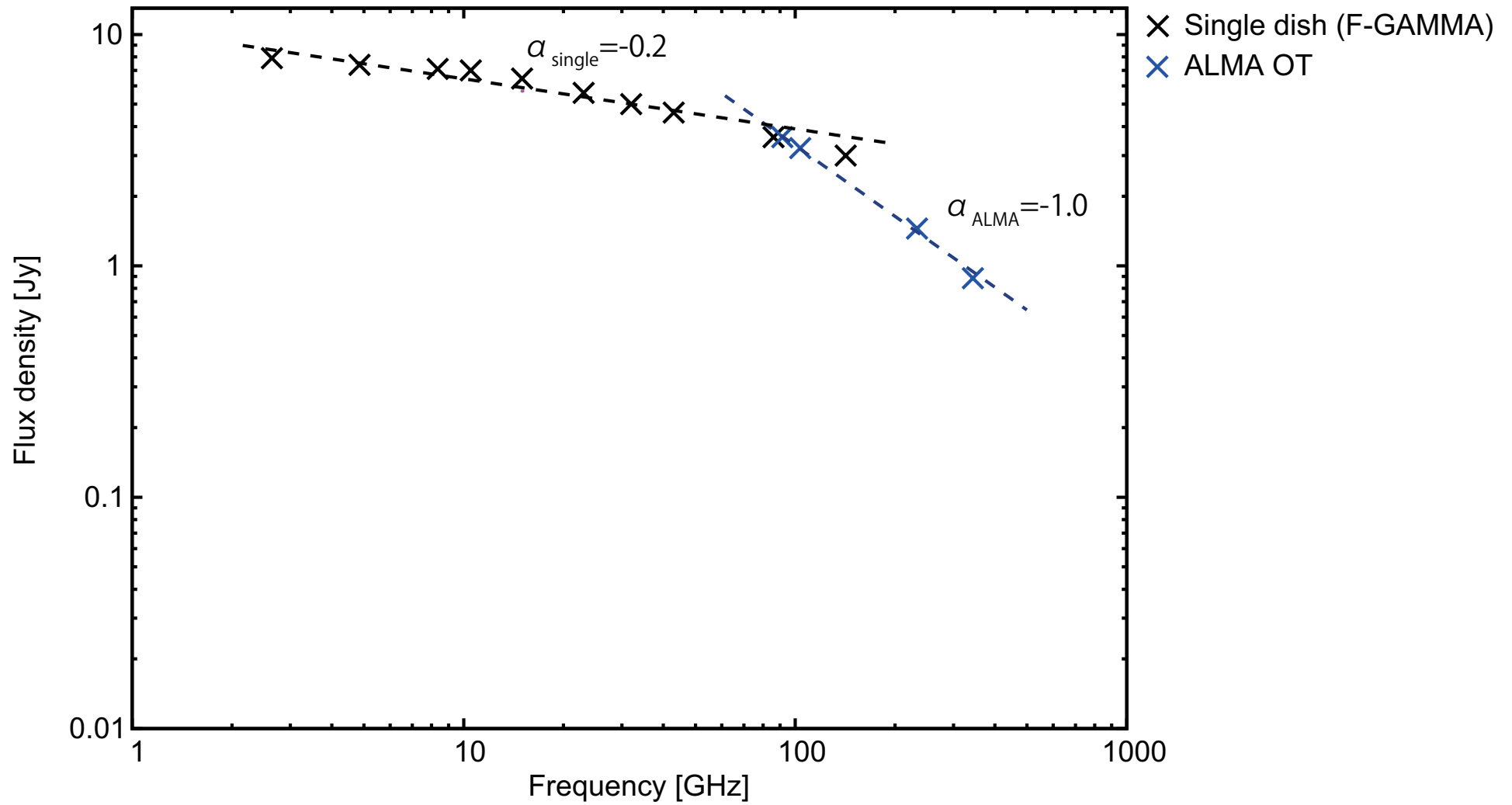
$$S_{vlbi,ext} = S_{single,tot} - S_{vlbi,tot}$$

extrapolate the index
obtained ≤ 86 GHz

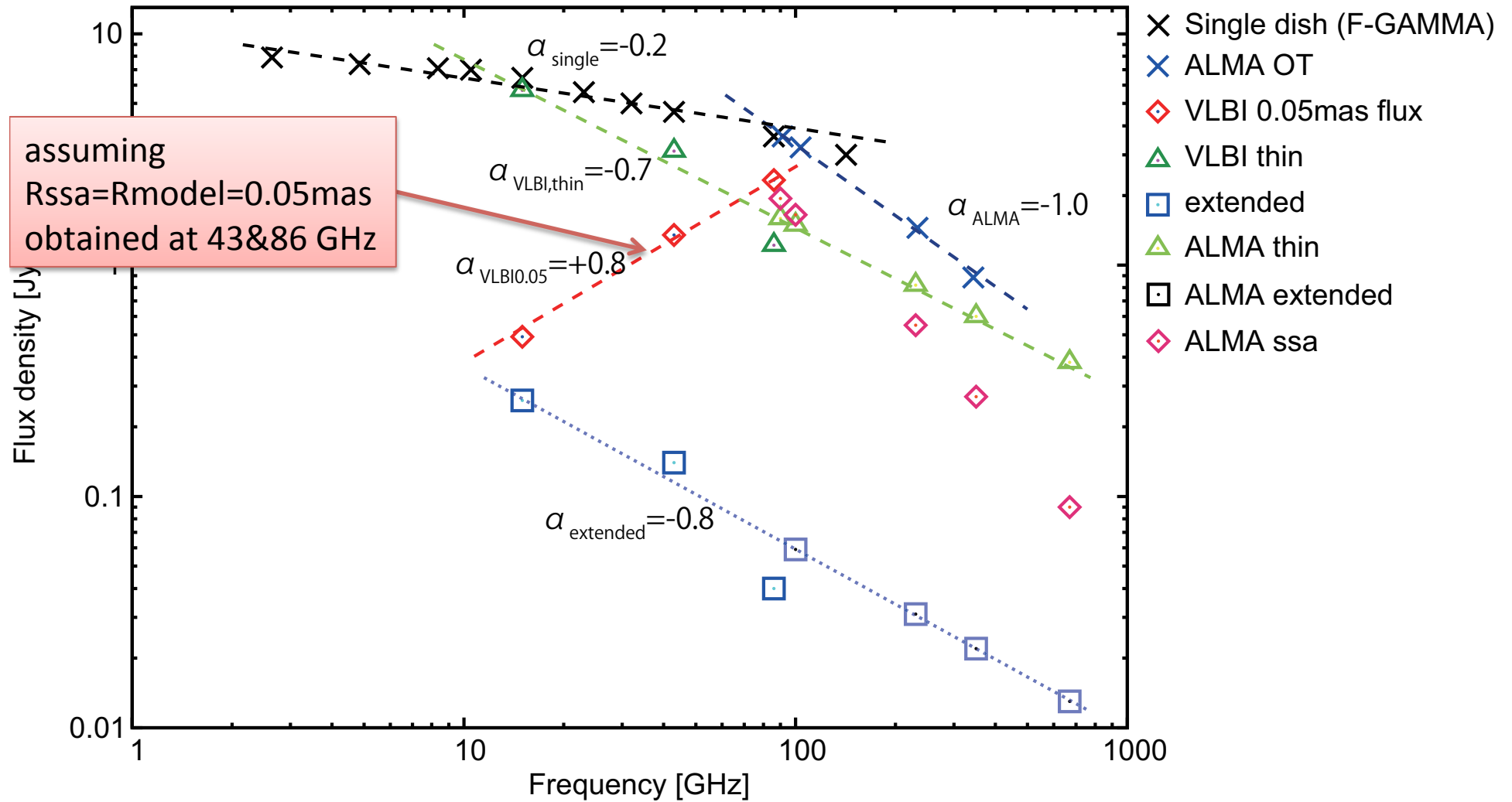
ALMA

$$S_{SSA} = S_{ALMA,tot} - S_{ALMA,ext} - S_{ALMA,thin}$$

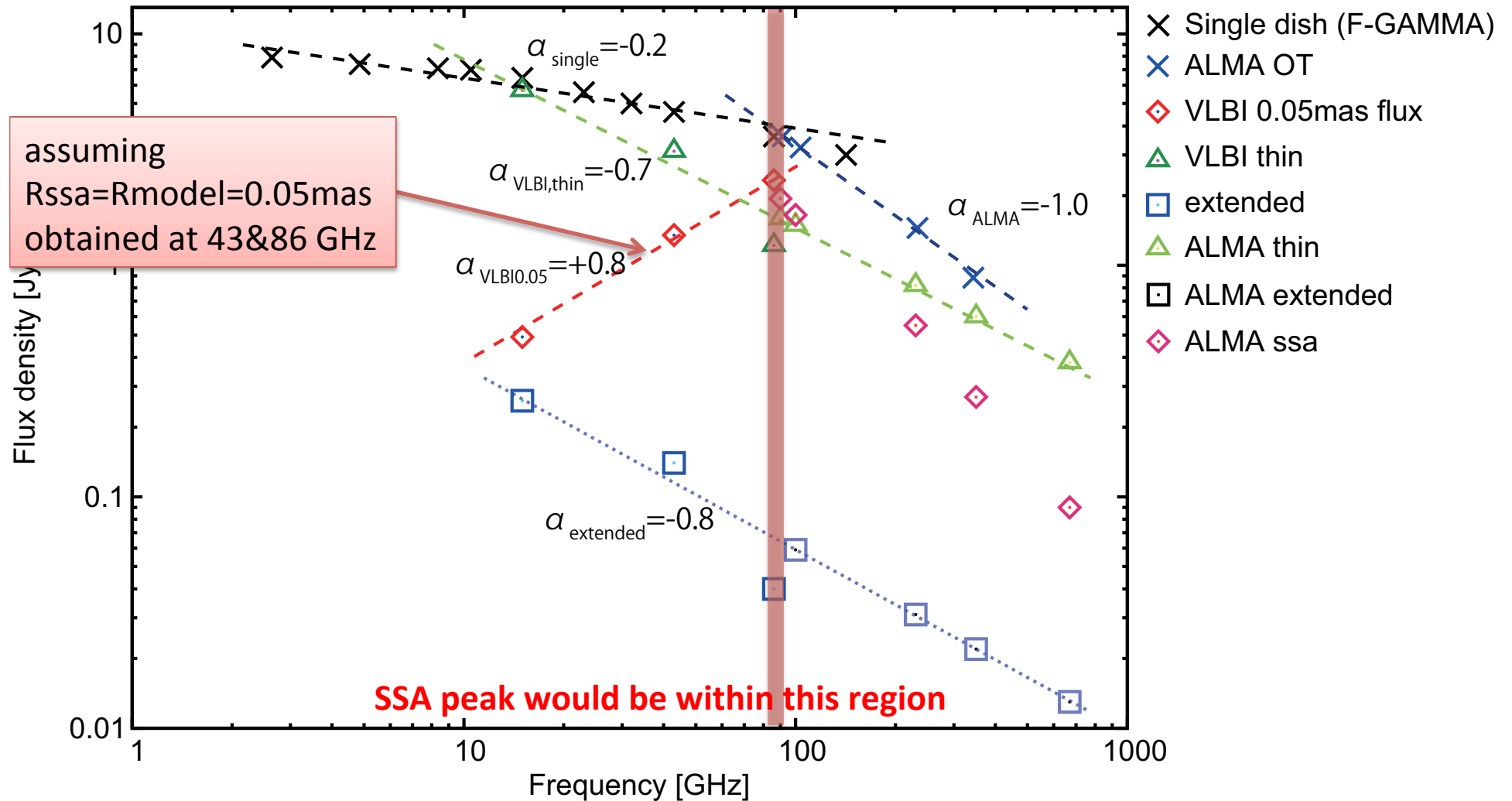
Example for quasar 3C 345



Example for quasar 3C 345



Example for quasar 3C 345



Estimation of B_{ssa}

$$B_{ssa} \sim 0.04G \left(\frac{\theta}{90\mu as} \right)^4 \left(\frac{v_m}{90GHz} \right)^5 \left(\frac{S_m}{2.2Jy} \right)^{-2} \left(\frac{\delta}{12} \right) \left(\frac{1}{1+z} \right)$$

→ Consistent with the value of the magnetic field strength at the jet base derived by using core-shift measurement

Remaining problems

- Spectral index of optically thick part $\sim 0.9 \neq 2.5$
 - SSA region size could be smaller than our assumption
 - The fluxes of SSA region at lower frequencies could be lower than the values we used because of core shift effect
 - derived SSA fluxes are upper limit
- VLBI total flux
 - It should be measured with the same minimum uv distance

Future works

- Which sources are the best for this study?
 - apply the method to other sources, e.g., OJ 287, 3C 279, 3C 454.3, CTA 102, etc.
- We will consider the upper/lower limit and the errors to put stronger constraint on physical parameters

THANK YOU FOR LISTENING